Development of effective XGB model to predict the Axial Load Capacity of circular CFST columns

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Abstract: The Axial Load Capacity (ALC) of Concrete-Filled Steel Tubular (CFST) structural members is regarded as one of the most crucial technical factors for the design of these composite structures. This work proposes the development and application of the Extreme Gradient Boosting (XGB) model to forecast the ALC of circular CFST structural components using the affecting input parameters, namely column diameter, steel tube thickness, column length, steel yield strength, and concrete compressive strength. A dataset of 2073 experimental results from the literature was used for the model development. The performance of the XGB model was evaluated using statistical criteria such as Root Mean Square Error (RMSE), Mean Absolute Error (MAE), Coefficient of Determination (R²), and Mean Absolute Percentage Error (MAPE). The five-fold cross-validation technique and Monte Carlo simulation method were used to evaluate the model's performance. The results show good performance of the XGB model (R² = 0.999, RMSE = 242.757 kN, MAE = 157.045 kN, and MAPE = 0.057) in predicting the circular CFST's ALC.

Keywords: Concrete-filled steel tube; axial load capacity; machine learning, Extreme gradient boosting.

1. Introduction

Concrete-Filled Steel Tube (CFST) columns are a type of composite structure made of hollow steel tubes filled with concrete. Because of many advantages over hollow steel columns and reinforced concrete columns [1–4], this type of structure is prevalent in modern construction. These advantages include high axial bearing capacity, good ductility and strength, large energy absorption capacity, convenient construction, material savings, and high fire resistance [5–7]. In addition, because there is no need for formwork, the construction process is quicker. It also costs less to construct and they are more environmentally friendly because steel tubes can be reused along with recycled aggregates in concrete [8–10]. According to several studies [11,12], CFST columns exhibit excellent efficiency under compression. As a result, the cross-section of the chosen CFST column is frequently symmetrical, such as a circular, square, or rectangle. The circular CFST column is the most often utilized due to its excellent confinement performance, higher stiffness, and yield strength [13–15].

Numerous investigations have been
conducted over the past decades to assess Axial Load Capacity (ALC) and CFST columns' behavior. Several experiments have been performed on CFST circular columns, including examination of the effects of loads, the strength of concrete \[16,17\], the diameter-to-thickness ratio of the tube \[18,19\], or bond action among steel tubes and concrete \[4,20\]. The first contribution was Knowles and Park’s work \[21\], carried out in the late 1960s to assess the behavior of CFST columns under eccentric and centered loads. In addition, the behavior of CFST columns under cyclic dynamic loads is evaluated in a study by Liu and Goel \[22\]. In another attempt, the impact of employing high-strength concrete in CFST columns is investigated by Kilpatrick and Rangan \[23\]. On 114 CFST columns, Sakino et al. \[24\] investigated the effects of steel pipe shape and strength, tube diameter to thickness ratio, and concrete strength and proposed design formulae to determine their ultimate ALC. It is worth noting that in the literature, many works have attempted to compile the outcomes of these investigations into different databases. However, obtaining the long time data is the main challenge, as it needs a significant investment in terms of funds, high-end test equipment systems, and a considerable amount of time and labor.

The behavior of CFST columns under axial compression is also studied using numerical modeling. For instance, to model compressive CFST stub columns, Dai et al. \[25\] used the Finite Element Model (FEM) created by an ABAQUS solver. Choi et al. \[26\] put out a numerical approach to examine the axial behavior of CFST columns and estimate various interactions between the steel tube and concrete. However, the models lack the ability to estimate the behavior of these members with an appropriate level of precision since it is difficult to consider all the complicated boundary conditions and mechanical characteristics of the material in numerical simulations \[26\].

In addition, CFST column calculation provisions have been suggested in published design standards such as EC4 \[27\], ACI \[28\], AISC \[29\], and AS/NZS 2327 \[30\]. Their usefulness is, however, limited to CFST columns with a certain section slenderness ratio and material grade. Due to their restricted applicability, none of the above-mentioned methods have been extensively adopted. Therefore, creating a standardized and precise procedure for designing circular CFST columns is necessary.

In recent years, with the rapid advancement of computer science, Machine Learning (ML) techniques have become pervasive in all scientific domains, including Civil Engineering. ML approaches are methods that construct complicated mathematical models with great precision to reflect the connection between the input and output parameters of a given data set. Based on this perspective, numerous scientists currently utilize ML to identify the structures' behavior \[32–38\]. The application of ML to forecast the ALC of circular CFST columns has also been the subject of substantial research \[31–35\]. Specifically, Ahmadi et al. propose the ANN model to estimate the ALC of the circular CFST column under the effect of axial load based on a dataset of 268 experimental results and obtain a forecast performance of \( R = 0.899 \). In the study by Sarir et al., a gene expression program (GEP) is developed using 303 experimental results and five input parameters to estimate the ALC of the circular CFST column. The best predictive model is selected with model performance \( R^2 = 0.939 \) and \( \text{RMSE} = 606.28 \text{ kN} \). In a recent study by Liu et al., a PSO-ANN hybrid model consisting of an artificial neural network (ANN) optimized using a particle swarm algorithm (PSO) has been proposed to predict the ALC of a circular CFST column with a dataset of 227 experimental results. The model's performance is equivalent to \( R = 0.989 \). The above studies have shown that machine learning algorithms are powerful numerical tools to predict the ALC of circular CFST columns. However, these studies have not evaluated the effect of input factors on the ALC of columns nor considered a limited amount of data. Moreover, the predictive
potential of these investigations needs additional development.

As a result, this research aims to propose an ML model, the Extreme Gradient Boosting (XGB) model, to predict the ALC of circular CFST columns. A data set of experimental findings containing 2073 circular CFST column samples was employed to train and test the developed model. The database includes parameters such as the structural members' geometry and the component materials' mechanical properties. This dataset is the largest ever created, providing solid results when training and testing the model. Simultaneously, feature importance and sensitivity analysis are studied using one-dimensional partial dependence plots (PDP). The results of the model were evaluated using standard statistical measures, namely Root Mean Square Error (RMSE), Mean Absolute Error (MAE), Coefficient of Determination ($R^2$), and Mean Absolute Percentage Error (MAPE).

2. Database description and analysis

In this study, the 2073 data points on circular CFST columns studies are collected from the published literature, including 1305 data from two well-known databases of Denavit [36] and Goode [37], and 768 finite element results of high-strength concrete columns from Tran’s study [38]. Fig. 1 depicts the experimental setup to determine the ALC of CFST columns in general. Initial imperfections in column geometry and residual stresses during member production are disregarded and not considered input parameters in this database due to their insignificant effect on the CFST column [39]. For each CFST specimen, several geometric and material parameters are gathered. The geometric characteristics consist of the physical parameters of CFST columns, i.e., column length ($L$), tube thickness ($t$), and tube diameter ($D$). The material properties include steel yield strength ($f_y$) and concrete compressive strength ($f_c$). Table 1 presents the primary material and geometric characteristics of the collected database. Notably, the concrete compressive strength determined by the tests is based on both cylinder and cube specimens, and the cube strength is converted into cylinder strength for use in calculations. Table 1 shows that the cross-section diameter ranges from 44.5 mm to 1020 mm, with an average value of 264.87 mm and a standard deviation of 176.58 mm. The thickness of the steel tube ranges from 0.52 mm to 30 mm, with an average of 8.38 mm and a standard variation of 6.75 mm. The length of the member spans from 152.35 mm to 5560 mm, with an average of 1658.31 mm and a standard deviation of 1287.19 mm. Steel tube yield strength ranges from 178.28 MPa to 1153 MPa, with an average value of 342.59 MPa and a standard variation of 105.59 MPa. The compressive strength of concrete ranges from 7.01 MPa to 200 MPa, with an average value of 84.79 MPa and a standard variation of 57.79 MPa. The observed axial load varies from 45.2 to 75194.86 kN, with an average value of 12574.56 kN and a standard deviation of 16560.77 kN.

Fig. 2 depicts histograms of inputs and output parameters used in this study. In addition, a correlation study between input and output variables is also carried out to investigate the linear statistical correlation between the variables in the database. The Pearson technique is used to calculate the correlation coefficient $R$. Fig. 3 depicts the correlation matrix between the pairs of parameters, in which the bottom triangle reflects the correlation coefficient value and the top triangle depicts the correlation based on the intensity and size of the circles. The diagonal represents the connection between the variables. Tabachnick et al. [40] define strongly correlated parameter pairs as having an absolute value of $R$ greater than 0.75. The greatest absolute value of $R$ in the gathered input space is 0.74, indicating that it is suitable to use the existing input space to create the ML model in this study.

The dataset is randomly divided into two sub-datasets, including the first part (70% of the data) used to train the model, called the training part. The second part (the remaining 30% of data) is used to
verify the model, called the testing part. This split ratio is chosen to ensure efficiency during training and testing, as the relevant literature suggested [41].

![Schematic diagram showing experimental set up of (a) the CFST columns under axial force, (b) the cross-section of circular column](image)

**Table 1.** Statistical characteristics of the input and output parameters in the database.

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Unit</th>
<th>Mean</th>
<th>Std</th>
<th>Min</th>
<th>25%</th>
<th>50%</th>
<th>75%</th>
<th>Max</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Input</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Diameter of tube (D)</td>
<td>mm</td>
<td>264.87</td>
<td>176.58</td>
<td>44.45</td>
<td>114.30</td>
<td>190.70</td>
<td>400.00</td>
<td>1020.00</td>
</tr>
<tr>
<td>Thickness of steel tube (t)</td>
<td>mm</td>
<td>8.38</td>
<td>6.75</td>
<td>0.52</td>
<td>3.35</td>
<td>5.84</td>
<td>12.5</td>
<td>30.00</td>
</tr>
<tr>
<td>Length of column (L)</td>
<td>mm</td>
<td>1658.3</td>
<td>1287.1</td>
<td>152.35</td>
<td>661.50</td>
<td>1200.0</td>
<td>2400.0</td>
<td>5560.0</td>
</tr>
<tr>
<td>Yield strength of steel tube ($f_y$)</td>
<td>MPa</td>
<td>342.59</td>
<td>105.59</td>
<td>178.28</td>
<td>275.00</td>
<td>332.02</td>
<td>374.00</td>
<td>1153.00</td>
</tr>
<tr>
<td>Compression strength concrete ($f_c$)</td>
<td>MPa</td>
<td>84.79</td>
<td>57.79</td>
<td>7.01</td>
<td>34.85</td>
<td>59.00</td>
<td>140.00</td>
<td>200.00</td>
</tr>
<tr>
<td><strong>Output</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>ALC ($P_u$)</td>
<td>kN</td>
<td>12574.</td>
<td>16560.</td>
<td>45.20</td>
<td>945.00</td>
<td>2500.6</td>
<td>21048.</td>
<td>75194.8</td>
</tr>
</tbody>
</table>

Std=Standard deviation;
3. Method used

3.1. Machine learning methods

In this study, the Extreme Gradient Boosting (XGB), an ensemble machine-learning technique that Chen and Guestrin created in 2016 [42], has been used for the prediction of ALC. This approach is an improved gradient-boosting decision tree algorithm that aims to produce high accuracy with
little chance of overfitting. In addition to effectively building gradient-boosting trees, XGB can also tackle regression and classification issues while operating in parallel. This is an efficient and easy-to-use algorithm that delivers high performance and accuracy as compared to other algorithms. The XGB model introduces a component to the loss function as an enhancement over the gradient boosting approach. As such, the loss function of the XGB model takes the form:

$$\text{Obj}(\Phi) = L(\Phi) + \Omega(\Phi)$$

(1)

where $L$ is the loss function in the training process, $\Omega$ is the rule set of the decision tree. The loss function or error rate is used to measure the model's performance during training (model building). Rule sets are used to control the complexity of the model and avoid redundancy or lack of information in the data. There are different methods used to determine the complexity of the model. However, the complexity of each decision tree is usually determined by the following formula:

$$\Omega(f) = \gamma T + \frac{1}{2} \lambda \sum_{j=1}^{T} \omega_j^2$$

(2)

where $T$ is the number of leaves on the decision tree, $\omega$ is the vector of scores on the leaves (of the decision tree). The core of the XGB algorithm is the objective function, which is determined by the following equation:

$$I = \sum_{i=1}^{T} \left[ G_i \omega_i + \frac{1}{2} (H_i + \lambda) \omega_i^2 \right] + \gamma T$$

(3)

where $\omega_i$ are independent variables. The goal of real XGB math is to minimize the $\text{Obj}$ function so that the error rate is minimal.

3.2. Performance indices of models

The RMSE, MAE, $R^2$, and MAPE are the performance metrics used in this study to assess the effectiveness and precision of the XGB model in predicting the ALC of the CFST column. The following formulas are used to determine these performance indicators:

$$\text{RMSE} = \sqrt{\frac{1}{N} \sum_{i=1}^{N} (Y_{\text{tt},i} - Y_{\text{db},i})^2}$$

(4)

$$\text{MAE} = \frac{1}{N} \sum_{i=1}^{N} |Y_{\text{tt},i} - Y_{\text{db},i}|$$

(5)

$$\text{MAPE} = \frac{1}{N} \sum_{i=1}^{N} \left| \frac{Y_{\text{tt},i} - Y_{\text{db},i}}{Y_{\text{tt},i}} \right| \times 100\%$$

(6)

$$R^2 = 1 - \frac{\sum_{i=1}^{N} (Y_{\text{tt},i} - Y_{\text{db},i})^2}{\sum_{i=1}^{N} (Y_{\text{tt},i} - \bar{Y}_{\text{tt}})^2}$$

(7)

where $Y_{\text{tt},i}$ is the actual test value of the $i$th sample, $\bar{Y}_{\text{tt}}$ is the average of the actual test values, $Y_{\text{db},i}$ is the predicted value corresponding to the $i$th sample, calculated according to the model's predictions, whereas $N$ denotes the sample numbers. Out of these, the optimum value of performance metrics is achieved when RMSE, MAE, and MAPE are equal to 0, whereas $R^2$ is equal to 1.

4. Results and Discussion

4.1. Hyperparameter tuning of the XGB model

The model's parameters are the most important notions in machine learning, and the training model identifies the optimal ones for improved performance. The parameters are separated into model parameters and hyperparameters, with the hyperparameters requiring setting before training the ML model because they determine its architecture. Tuning hyperparameters is crucial since they enhance learning models' performance. In this context, an extensive trial and error test is used to adjust the XGB model's hyperparameters. Four hyperparameters, $n$ estimators, max depths, learning rate, and minimum child weight, that have a significant impact on the XGB algorithm are chosen for tweaking based on past research [43,44]. Table 2 presents the associated search domains for hyperparameters. The XGB package utilizes the default values for the remaining hyperparameters in Python.

To prevent overfitting and increase the reliability of the training operations, a 5-fold Cross-Validation (CV) methodology is used. The training
dataset is randomly split into five equal folds. The cross-validation training is then carried out by selecting four folds randomly to serve as the training component and the remaining fold as the validation part. The performance metrics are calculated using the mean after training and verifying five times. The validation dataset created by such 5-fold CV method tests and compares the model’s performance throughout the training phase. The performance of the model is assessed using RMSE criteria. When the model has the lowest RMSE, the optimal hyperparameters for the XGB model are selected.

Fig. 4 illustrates the four hyperparameters’ effect on the model’s performance on the validation dataset. It can be observed that the lowest RMSE value achieved is 400 kN, hence, this RMSE value may be used to identify the optimal XGB model. An ML model, on the other hand, is termed stable if it performs well on both the validation and test data sets. As a result, five models performing well on the validation dataset are chosen for further examination to establish the best predictive model. These five models are carefully tested on the test dataset to compare their predicting ability. Table 3 presents the hyperparameters of the five models that are chosen. The performance of five ML models is assessed using standard statistical criteria.

Fig. 5 depicts the models’ performance using two criteria, RMSE and $R^2$. In addition to the validation dataset, the training and validation datasets are utilized to compare model performance. Table 4 shows the detailed values of the statistical criteria relating to the 5 XGB models. Based on these values, it is obvious that the XGB-05 model outperforms the others, including both validation and test datasets. Interestingly, this model does not have the best validation score on the validation set. The other four models perform well, but are less accurate on the testing set. As a consequence, XGB-05 is chosen as the best model, and typical results are shown in the following section.

Table 2. Search domain of 4 hyperparameters tuned in XGB model

<table>
<thead>
<tr>
<th>n_estimators ($N_e$)</th>
<th>learning_rate ($\eta$)</th>
<th>max_depth</th>
<th>min_child_weight (M.C.W)</th>
</tr>
</thead>
<tbody>
<tr>
<td>100 - 1000</td>
<td>0.1, 0.3, 0.5</td>
<td>1 - 10</td>
<td>1, 2, 3, 4</td>
</tr>
</tbody>
</table>

![Images of heatmaps](image-url)
Fig 4. RMSE validation scores of different XGB models

Table 3. Optimal hyperparameters of 5 XGB models

<table>
<thead>
<tr>
<th>Model</th>
<th>XGB_01</th>
<th>XGB_02</th>
<th>XGB_03</th>
<th>XGB_04</th>
<th>XGB_05</th>
</tr>
</thead>
<tbody>
<tr>
<td>$n_{\text{estimators}} (N_e)$</td>
<td>700</td>
<td>800</td>
<td>1000</td>
<td>800</td>
<td>1000</td>
</tr>
<tr>
<td>learning_rate</td>
<td>0.1</td>
<td>0.3</td>
<td>0.3</td>
<td>0.3</td>
<td>0.3</td>
</tr>
<tr>
<td>max_depth</td>
<td>4</td>
<td>3</td>
<td>3</td>
<td>3</td>
<td>3</td>
</tr>
<tr>
<td>min_child_weight</td>
<td>1</td>
<td>4</td>
<td>1</td>
<td>3</td>
<td>2</td>
</tr>
</tbody>
</table>

Table 4. Summary of prediction results of 5 XGB models.

<table>
<thead>
<tr>
<th>Model</th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>RMSE (kN)</td>
<td>MAE (kN)</td>
<td>$R^2$</td>
<td>MAPE</td>
<td></td>
</tr>
<tr>
<td>XGB_01</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>5-fold CV score</td>
<td>424.002</td>
<td>216.145</td>
<td>0.999</td>
<td>0.068</td>
<td></td>
</tr>
<tr>
<td>Training part</td>
<td>97.252</td>
<td>60.993</td>
<td>0.999</td>
<td>0.019</td>
<td></td>
</tr>
<tr>
<td>Testing part</td>
<td>329.212</td>
<td>186.995</td>
<td>0.999</td>
<td>0.059</td>
<td></td>
</tr>
<tr>
<td>XGB_02</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>5-fold CV score</td>
<td>419.678</td>
<td>223.866</td>
<td>0.999</td>
<td>0.090</td>
<td></td>
</tr>
<tr>
<td>Training part</td>
<td>103.464</td>
<td>64.804</td>
<td>0.999</td>
<td>0.022</td>
<td></td>
</tr>
<tr>
<td>Testing part</td>
<td>309.067</td>
<td>182.719</td>
<td>0.999</td>
<td>0.066</td>
<td></td>
</tr>
<tr>
<td>XGB_03</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>5-fold CV score</td>
<td>430.664</td>
<td>214.422</td>
<td>0.999</td>
<td>0.078</td>
<td></td>
</tr>
<tr>
<td>Training part</td>
<td>99.006</td>
<td>61.577</td>
<td>0.999</td>
<td>0.019</td>
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</tr>
<tr>
<td>Testing part</td>
<td>281.085</td>
<td>176.423</td>
<td>0.999</td>
<td>0.066</td>
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<tr>
<td>XGB_04</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>5-fold CV score</td>
<td>442.268</td>
<td>218.178</td>
<td>0.999</td>
<td>0.090</td>
<td></td>
</tr>
<tr>
<td>Training part</td>
<td>122.477</td>
<td>77.251</td>
<td>0.999</td>
<td>0.026</td>
<td></td>
</tr>
<tr>
<td>Testing part</td>
<td>300.474</td>
<td>191.672</td>
<td>0.999</td>
<td>0.073</td>
<td></td>
</tr>
<tr>
<td>XGB_05</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>5-fold CV score</td>
<td>451.234</td>
<td>216.891</td>
<td>0.999</td>
<td>0.090</td>
<td></td>
</tr>
<tr>
<td>Training part</td>
<td>97.903</td>
<td>61.212</td>
<td>0.999</td>
<td>0.019</td>
<td></td>
</tr>
<tr>
<td>Testing part</td>
<td>277.050</td>
<td>173.223</td>
<td>0.999</td>
<td>0.066</td>
<td></td>
</tr>
</tbody>
</table>
4.2. Representative prediction results

This section presents the typical outcomes of 200 Monte Carlo simulations of the XGB 05 model. The Monte Carlo simulation aims to generate several separate training and testing parts so that the model's generalizability can be evaluated [45].

The comparison between the predicted value and the actual ALC of the circular CFST column is depicted in Fig. 6 under the regression graph, in which Fig. 6a represents the training part, and Fig. 6b represents the testing part. The horizontal axis reflects the ALC based on the circular CFST column's actual values, while the vertical axis represents the predicted values. The solid black line shows the diagonal, whereas the black dotted lines and blue dashed lines represent 10% and 20% error contours, respectively. Most data points lie along the y=x line, indicating that the suggested model achieves near-absolute performance in the training and testing parts. The robust prediction ability of the XGB_05 model could thus be demonstrated using the results obtained in such regression analysis.

In addition, the distribution histogram and cumulative distribution of the error between the predicted and actual ALC of the circular CFST columns for the training part (Fig. 7a) and testing part (Fig. 7b) clearly show this excellent prediction ability. Among the 1451 training and 623 testing data samples, there is a significant error value of around 0. Only six samples in the training part (representing 0.4% of the training part) have errors beyond the range [-300, 300] kN, which is an insignificant proportion compared to the total number of samples. The testing part has a greater error with a maximum error value of 1500 kN with only two samples. In addition, the quantitative values of the XGB_05 model performance evaluation criteria are provided in Table 5. It can be observed that the model's prediction ability is robust. Therefore, using the XGB_05 model to accurately predict the ALC of circular CFST columns is conceivable, thereby saving time and cost on trials.

Table 5. Statistical criteria values for typical results of XGB_05 model

<table>
<thead>
<tr>
<th></th>
<th>RMSE (kN)</th>
<th>MAE (kN)</th>
<th>$R^2$</th>
<th>MAPE</th>
</tr>
</thead>
<tbody>
<tr>
<td>Training part</td>
<td>90.086</td>
<td>56.502</td>
<td>0.999</td>
<td>0.018</td>
</tr>
<tr>
<td>Testing part</td>
<td>242.757</td>
<td>157.045</td>
<td>0.999</td>
<td>0.057</td>
</tr>
<tr>
<td>All dataset</td>
<td>152.848</td>
<td>86.670</td>
<td>0.999</td>
<td>0.030</td>
</tr>
</tbody>
</table>
4.3. Comparison with design codes and empirical equations

To further validate the proposed ML-based prediction model and illustrate its superiority, the performance of the XGB_05 model is compared to that of four existing design codes and four empirical equations developed by other researchers. Four design codes are investigated, including EC4 [27], ACI [28], AISC [29], AN/NZS [30], and the empirical equations of Ding [46], Wang [47], Han [48], and Du et al. [49]. This study employs all collected data for comparison purposes, using R², RMSE, MAE, and MAPE to assess the performance of the models. Fig. 8 illustrates the regression analysis, whereas Table 6 indicates the prediction results between the actual and output data using design codes and empirical equations. As can be seen, all previously proposed design codes and experimental formulae have a large deviation between the actual value and the predicted output. Compared to the experimental model with minimal error, i.e. Wang’s model, the XGB_05 model improved in R², RMSE, and MAE by 3.09%, 98.31%, and 98.12%, respectively. There are a variety of causes for the considerable variance in error: (1) the design codes and empirical equations frequently have constraints on the calculation assumptions, such as the condition of the column’s slenderness, the condition of the steel’s strength, and the compressive strength of the concrete; (2) ML models are capable of learning the effect of column length, whereas the design code and empirical equations are not, although column length has a significant impact on the axial load capacity of the column in general. Again, this demonstrates the proposed ML approach’s advantages in improving prediction accuracy and generalization.
4.4. Feature importance and partial dependence analysis

The developed ML model has a significant capacity to predict the ALC of circular CFST columns. However, it is also vital to interpret or explain the model predictions [50] because ML models are "black boxes" in general. Model interpretation may guide the model’s development and decision-making techniques while fostering user confidence in the trained model. This is accomplished by feature importance analysis and partial dependence analysis [51].

Analysis of feature significance is the most popular method for explaining model results. It provides a direct ranking of each feature’s effect on the target. The greater the influence of a feature on the model’s prediction, the greater its importance. Fig. 9 gives the relative feature importance results for the XGB_05 model for the axial load of the circular CFST column. It can be observed that the outer diameter of steel tube D plays the most critical role. It is also the most dominant input parameter compared to the other four. This finding is expected because the outer tube diameter D is the main contributor to the cross-sectional area of circular CFST columns. Furthermore, the compressive strength of concrete ($f_c$) is the second most essential input parameter, followed by steel tube thickness ($t$) and yield strength of steel ($f_y$). Finally, the column length is the least relevant aspect of the circular CFST column’s ALC.
Fig 9. Feature importance analysis results

Fig 10. Partial dependence plots (PDP) analysis of the input variables used in this study
Feature importance analysis demonstrates whether or not the characteristics are important, but does not explain how the features impact the target. Partial dependence analysis is used to overcome the current limitation of feature importance analysis. It can show how the model's final output varies with the selected feature, and reveal if the feature has a positive or negative influence on the results. The model output's partial dependency on a specific feature X is determined by fixing the remaining features while feature X varies.

Fig. 10 depicts the PDP for the five input parameters over all samples in the dataset. The horizontal axis displays input parameter change, while the vertical axis represents the PDP value of each parameter. Although column length has a negative effect, the remaining factors tend to positively influence the ALC of the circular CFST column. When the column diameter (D) is increased from 44 mm to 600 mm, the ALC of the column increases significantly, and remains stable, with D being more than 800 mm. The ALC of the column varies in three different phases corresponding to the column diameter ranging from 0 to 600 mm, 600 to 800 mm, and above 800 mm. Besides, it is clear that the column diameter has the most significant impact on the axial load capacity of the column. This is based on the difference in the PDP value ranging from 1954.195 to 36681.478. This change is much larger than the PDP change of the remaining parameters. This observation is in good agreement with the findings of the feature importance analysis. Regarding the tube thickness (t), when t increases, so do the ALC of the CFST circular column, especially when t is in the [0.52, 11.5] mm range. However, when t varies in a short range, from 11.5 mm to 12 mm, the column's axial load capacity tends to decrease. The axial load capacity of columns tends to remain constant or slightly increase, especially with thicker columns.

When the column length (L) is considered, it is clear that the ALC decreases as L increases, especially for long columns. This result is consistent with the literature [52], since as column length grows, the column becomes more narrow, limiting bearing capacity. Finally, the PDP curve of two factors, the compressive strength of concrete and the yield strength of steel, shows that as these two values increase, so does the ALC of the column. This corresponds to the structure's carrying capacity and remarks in the literature [52]. In summary, partial dependency plots clearly explain how factors impact prediction while avoiding high processing costs.

5. Conclusions

In this study, an XGB model is developed to estimate the ALC of circular CFST structural components subjected to compression. The dataset of 2073 experimental results of circular CFST columns subjected to axial loads is utilized to develop the model. Two types of input parameters are employed to train the model, including the geometric dimensions of the section and the material's mechanical properties. The results reveal that the XGB model delivers reliable prediction results with $R^2 = 0.999$, RMSE = 242.757 kN, MAE = 157.045 kN, and MAPE = 0.057. The proposed model was also compared with existing empirical equations and published standards, which shows higher accuracy. In addition, the sensitivity analysis employing partial dependence plots analysis and feature importance is performed to determine the influence of each input variable on the output. This study's findings can facilitate and simplify the design of circular CFST columns based on input parameters. The optimum values provide a rapid and accurate assessment of the ALC of a circular CFST column for practical applications in the construction of civil engineering structures.

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